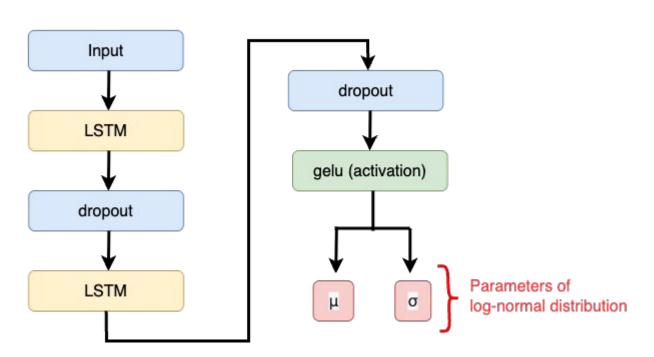
Dengue oracle (Model ID 155 e 156)

Model architecture



Dengue oracle (Model ID 155 e 156)

Model 1 (M1) - base:

Temporal predictors:

- · cases;
- · epiweeks.

Static predictors:

· pop_norm.

Model 2 (M2) - with covariates:

Temporal predictors:

- · cases;
- · epiweeks;
- enso value.

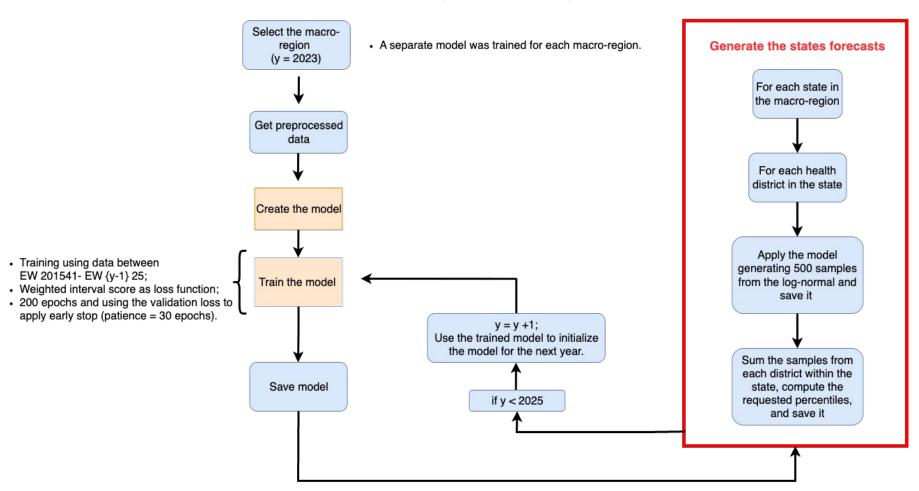
Static predictors:

- pop_norm;
- biome predominant.

Independent of the set of features the train and test samples are generated using the data (after normalization by max values) from all the regional health of the macroregion.

The static features were encoded as time series with constant values.

Training and forecasting workflow



Mosqlimate Sprint 2025

Team: JBD - Mosqlimate

Members:

- Beatriz Laiate, Ph.D.
- Davi Sales Barreira, Ph.D.
- Julie Souza, Ph.D.

 $\begin{tabular}{l} \textbf{Institution:} School of Applied Mathematics - Fundação Getúlio Vargas (FGV/EMAp) \end{tabular}$

Forecasting Methodology

Data: Dengue cases by municipalities and week, ENSO index, and Brazilian states coordinates.

Model: Chronos, a language model framework for time series forecasting. The model is pre-trained on a large dataset of time series data, and was fine-tuned on the dengue cases data.

Tools: 'Autogluon', a library that provides a high-level interface for training and evaluating time-series models.

Post-Processing:

- Sort quantiles to ensure monotonicity.
- Set negative values to zero.
- Interpolate and extrapolate quantiles to obtain the required intervals.

References



Ansari, Abdul Fatir; Stella, Lorenzo; Turkmen, Caner; Zhang, Xiyuan; Mercado, Pedro; Shen, Huibin; Shchur, Oleksandr; Rangapuram, Syama Sundar; Arango, Sebastian Pineda; Kapoor, Shubham; et al. *Chronos: Learning the language of time series.*arXiv preprint arXiv:2403.07815, 2024.



Shchur, Oleksandr; Turkmen, Ali Caner; Erickson, Nick; Shen, Huibin; Shirkov, Alexander; Hu, Tony; Wang, Bernie.

AutoGluon—TimeSeries: AutoML for probabilistic time series forecasting.

International Conference on Automated Machine Learning, PMLR, pp. 9–1,

2023.

Hierarchical Bayesian mixed model with covariate interactions

incidence rate



$$y_{s,t} \mid \mu_{s,t}, \ K \sim \text{NegBin}(\mu_{s,t}, \ K)$$

$$\log(\mu_{s,t}) = \log(\rho_{s,t}) + \log(\rho_{s,a(t)})$$

$$\log(\rho_{s,t}) = \alpha + (\beta_T X_T + \beta_L X_L + \beta_S X_S + \beta_{T,L} X_T X_L + \beta_{T,S} X_T X_S + \beta_{L,S} X_L X_S + \beta_{T,L,S} X_T X_L X_S + \beta_{A,S} X_A X_A)_K + \beta_N X_N + \beta_{C,U(s)} X_{C,U(s)} + \delta_{w(t),U(s)} + \gamma_{a(t)} + u + v$$

$$\frac{t}{a(t)} = \frac{temporal index}{s}$$

$$s = short-lag drought index}$$

$$s = short-lag drought index}{s}$$

$$c = pre-2018 index (binary)$$

$$c = \frac{temporal index}{s}$$

$$dengue$$

$$dengue$$

$$c = \frac{temporal index}{s}$$

$$dengue$$

$$dengue$$

$$c = \frac{temporal index}{s}$$

$$dengue$$

$$de$$

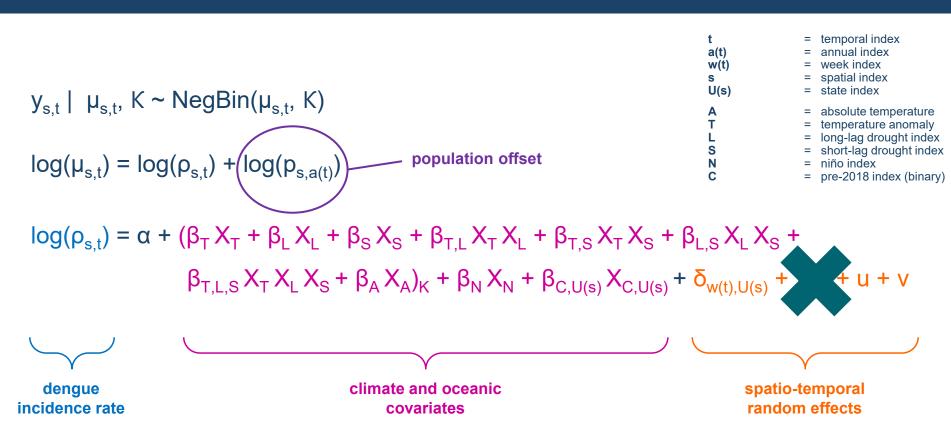
covariates

Source: Fletcher & Mila et al. (in prep)

random effects

Hierarchical Bayesian mixed model with covariate interactions



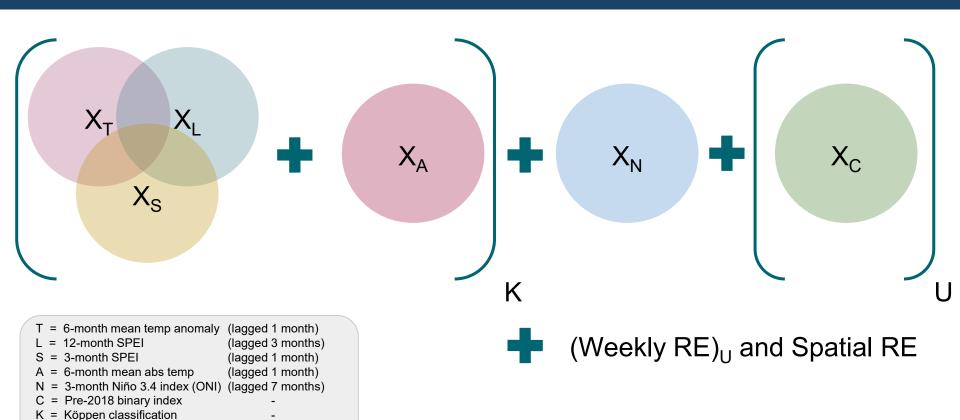


Source: Fletcher & Mila et al. (in prep)

Best model for predicting the upcoming dengue season in Brazil

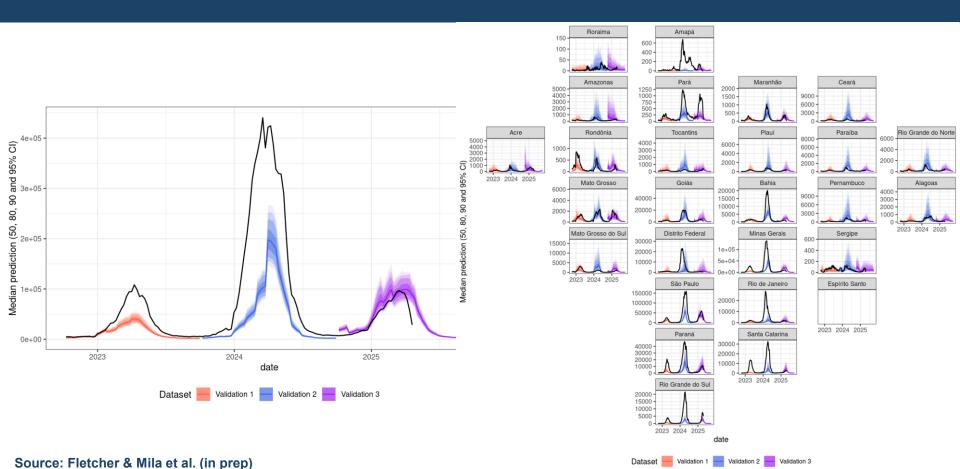
U = State





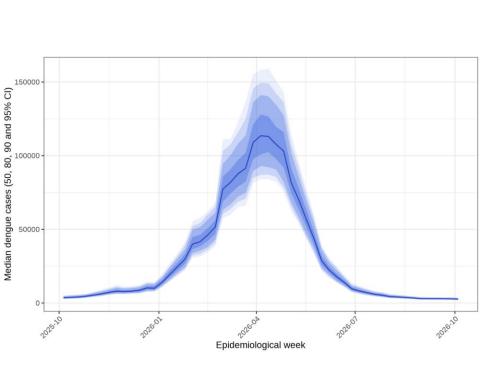
Weekly national and state-level validation results for 3 dengue seasons

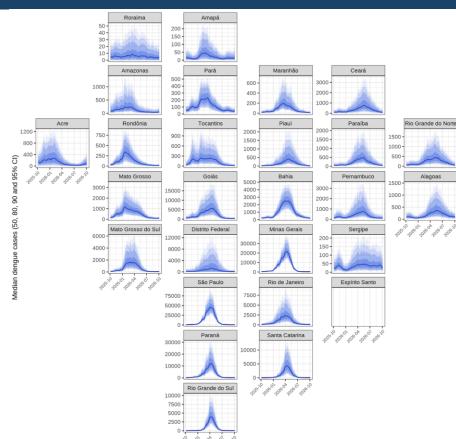




Weekly national and state-level dengue forecasts for 2025/26 season







Epidemiological week

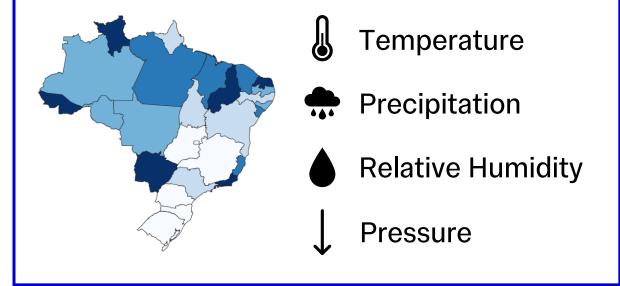
Source: Fletcher & Mila et al. (in prep)

Data

1 Target: Weekly number of dengue cases per state in Brazil

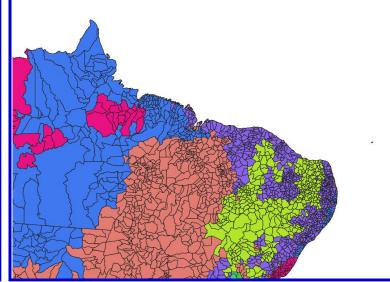
2 Time-varying Covariates

Population-weighted aggregation of municipality-level climate values to state-level (min, med, max)





Used **proportion of state population** living in each **Köppen** climate class and **Brazilian biome** (aggregating from municipalities)

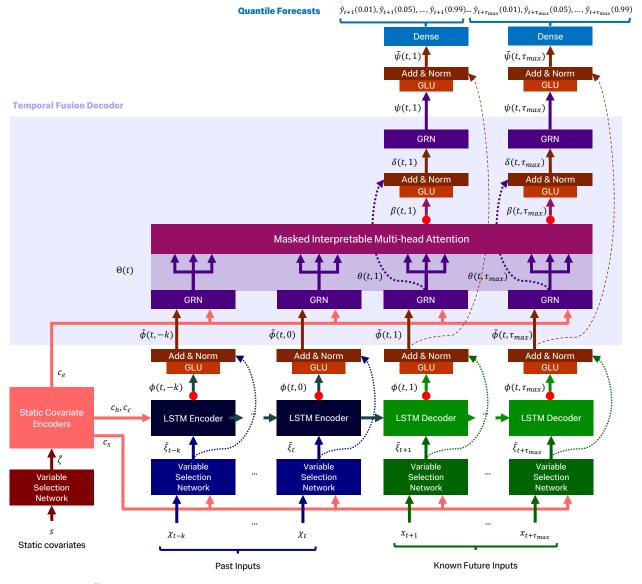


Model

Temporal fusion transformer (TFT): deep-learning-based forecasting method

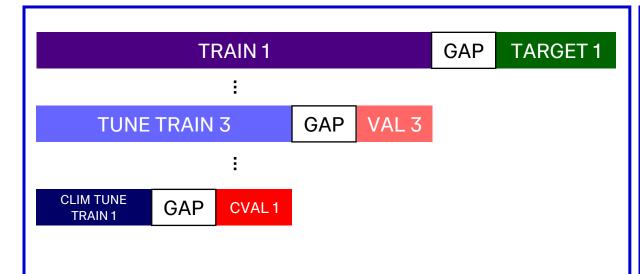
Main features:

- 1. Automated variable selection and importance weighting
- 2. Scalable complexity through use of skip connections
- **3. Flexibility** in use of covariates (static, past, or future covariates all allowed)
- 4. Multi-head **attention** for learning longer range temporal patterns



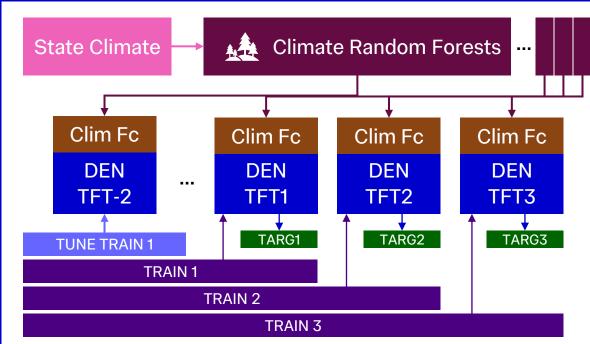
- 1. Lim B, Arık SÖ, Loeff N, Pfister T. Temporal Fusion Transformers for interpretable multi-horizon time series forecasting. *Int J Forecast* 2021; **37**(4): 1748-64.
- 2. Herzen J, Lässig F, Piazzetta SG, et al. Darts: user-friendly modern machine learning for time series. *J Mach Learn Res* 2022; **23**(1).

Pipeline



- Initial training set split into multiple train-validation folds
- Hyperparameters tuned using Optuna optimising on mean quantile loss
 (MQL) across three validation sets

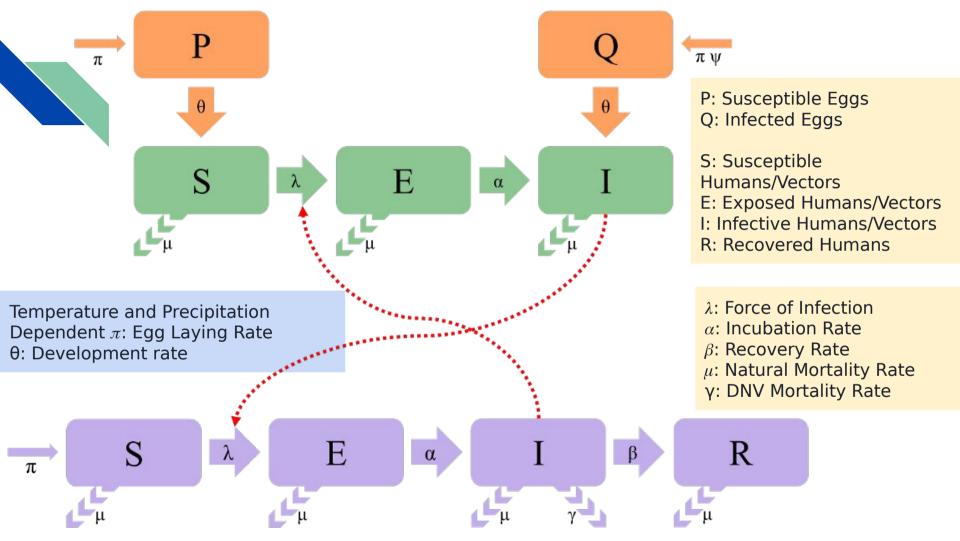
Akiba T, Sano S, Yanase T, Ohta T, Koyama M. Optuna: A Next-generation Hyperparameter Optimization Framework. In: Proceedings of the 25th ACM SIGKDD International Conference on Knowledge Discovery & Data Mining. New York, NY, USA: Association for Computing Machinery: 2623–31.



- Random forests trained to generate climate forecasts used in dengue model as future covariates
- **Incremental fine-tuning** of previous models as new data "arrives" then forecasts are generated



ISI Foundation, Turin (Italy) Davide Nicola



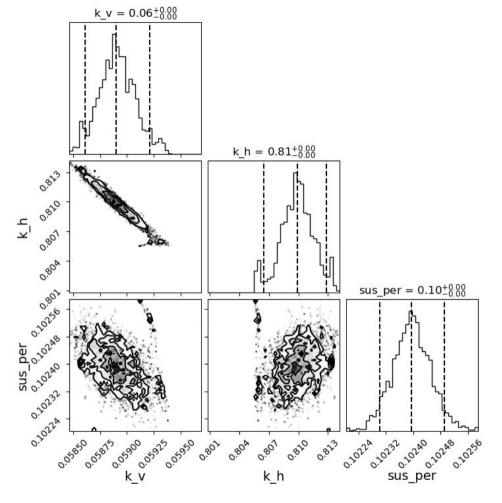
Model Calibration

Parameters:

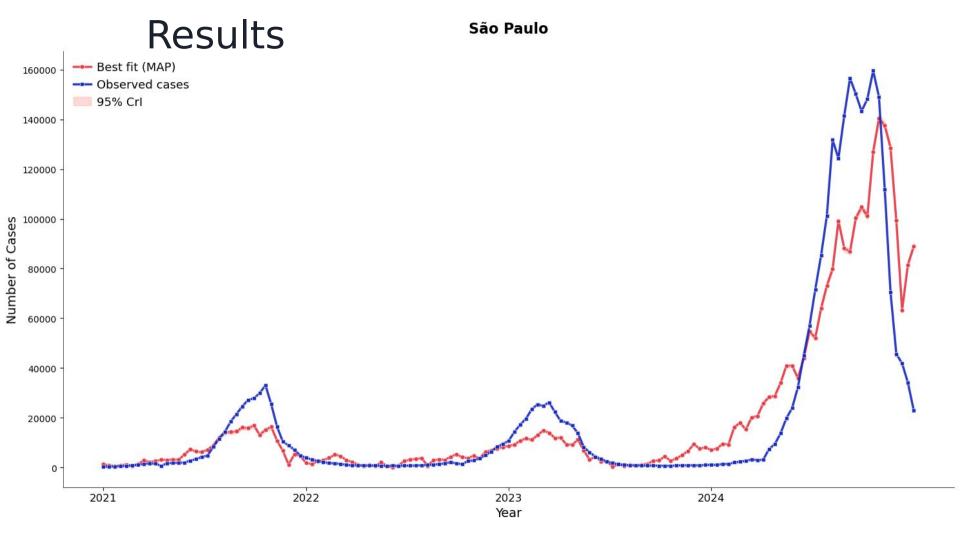
- O Human to Vector Transmission Probability -> Beta Distribution (α = 2.0 β = 20.0)
- \bigcirc Vector to Human Transmission Probability -> Beta Distribution ($\alpha = 8.0 - \beta = 5.5$)
- \bigcirc Percentage of Susceptible Population -> Beta Distribution (α = 3.0 β =

Methods:

- Markov Chain Monte Carlo (PyMC)
 - 6 chains
 - 5000 samples
 - 5000 tuning samples



Corner Plot and Posterior of the MCMC



Dengue Forecast Model with Seasonal and Gravity Components

Marcio Maciel Bastos

October 14, 2025



Outline

Introduction

2 Content



Introduction

This model combines seasonal dynamics, representing the **yearly dengue cycle**, with **spatial interaction**, where transmission strength depends on population and distance between regions.



Model

- Sazonality: $g_s(t) = \sum_{n=0}^N a_n(\sigma_s) \cos\left(\frac{2\pi n(t-\mu_s)}{T}\right), \ a_n(\sigma_s) = \exp\left(-\frac{2\pi^2 \sigma_s^2 n^2}{T^2}\right),$ $\max_t g_s(t) = 1.$
- Gravity: $\operatorname{grav}_{i,t} = \kappa(\operatorname{POP}_{i,t})^{\alpha_S} \sum_{j} (\operatorname{POP}_{j,t})^{\beta_I} d_{ij}^{-\gamma}$.
- Logit: $\eta_{s,t} = \operatorname{amp}_s g_s(t) + \operatorname{grav}_{s,t}$.



Model

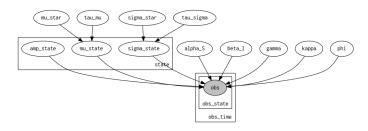


Figure 1: Bayesian Model

